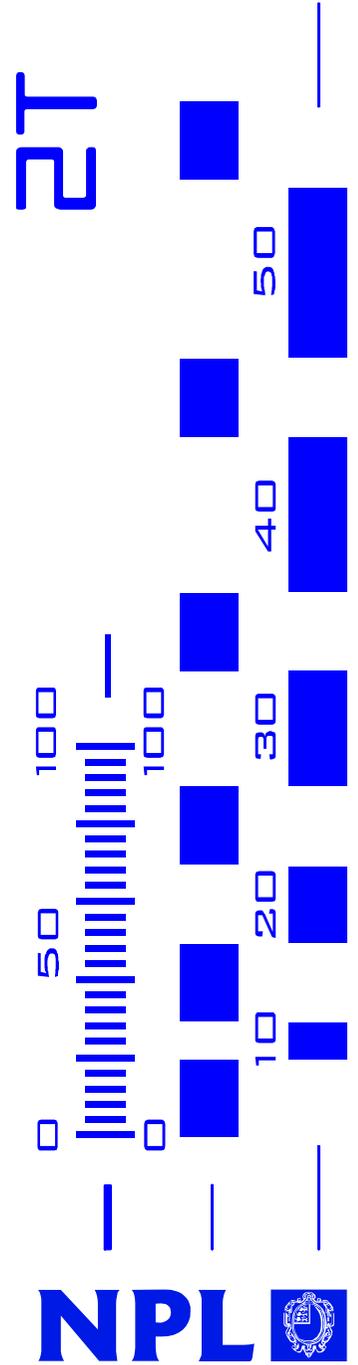


Environmental comparison workshop

NPL February 2006

# Primary standardisation of radionuclides used in the environmental comparison

Lena Johansson



# Overview

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- The Mutual Recognition Arrangement (MRA)
- BIPM/SIR
- Coincidence counting
- Results – Am-241 and Pu-238

# Background - MRA

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## The Mutual Recognition Arrangement

October 1999

- to establish the **degree of equivalence** of national measurement standards maintained by NMIs;
- thereby to provide governments and other parties with a secure technical foundation for wider agreements related to international trade, commerce and regulatory affairs.



# Background - SIR

## The International Reference System (SIR) at BIPM, Sevres

is characterized by its **high stability** and its **simplicity**.

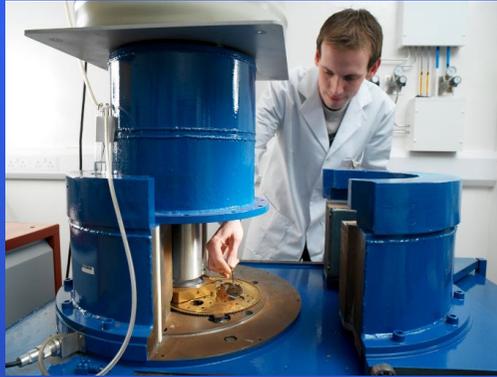
Since it came into existence, about 830 measurements have been made with some 60 radionuclides – giving a total of about **600 independent results**

The results of the measurements are used to construct **the efficiency curve of the ionization chamber (IC)** as a function of  $\gamma$ -ray energy.



# NPL link to SIR for $\gamma$ -ray emitters

NPL coincidence counting



NPL Radionuclide calibrator

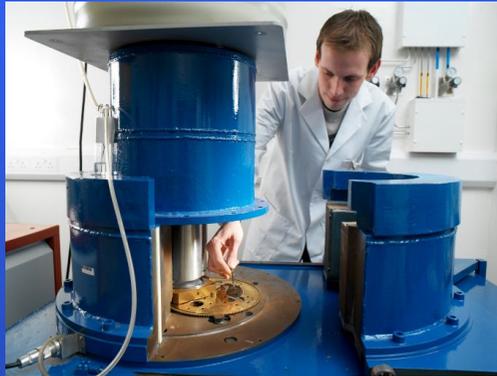


SIR, Paris

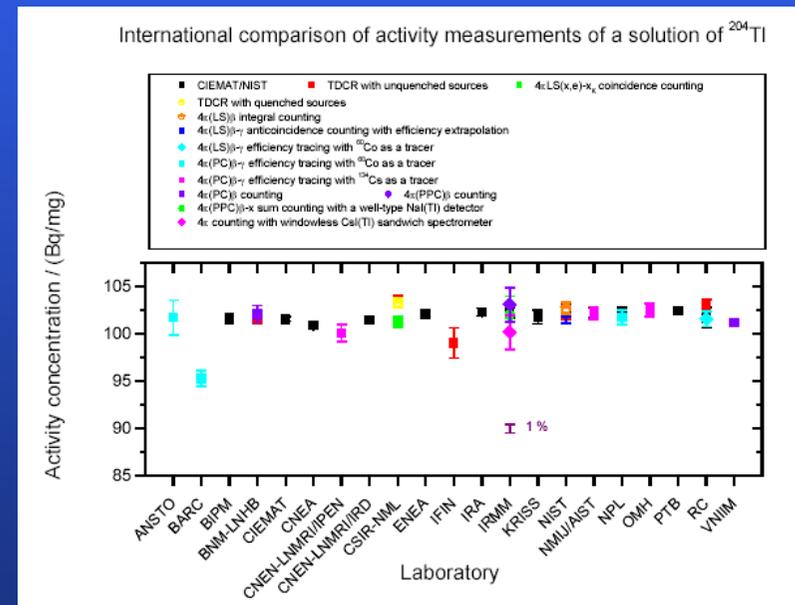


# NPL link to SIR for *non* $\gamma$ -ray emitters

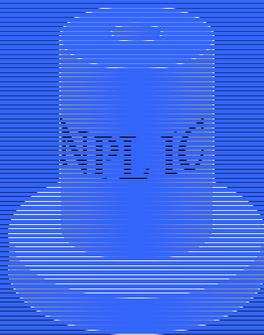
## NPL coincidence counting



## BIPM Key comparison, Paris

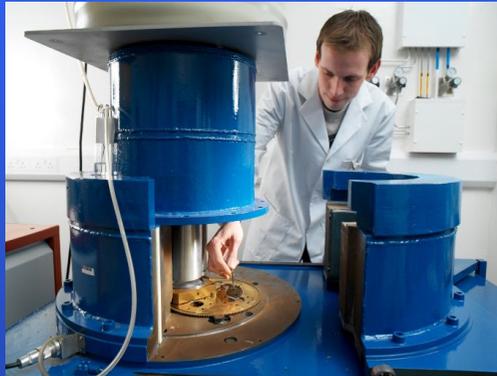


## NPL Radionuclide calibrator



# Primary standardisation

## NPL coincidence counting

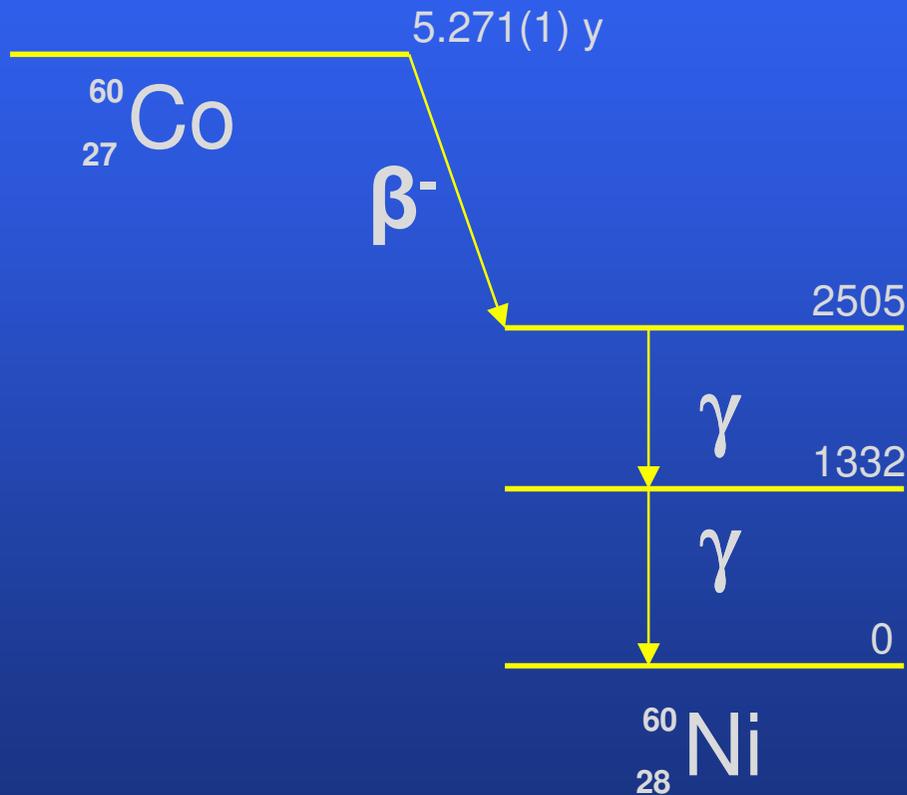


## BIPM Key comparison, Paris

Approximately 1-2 per year

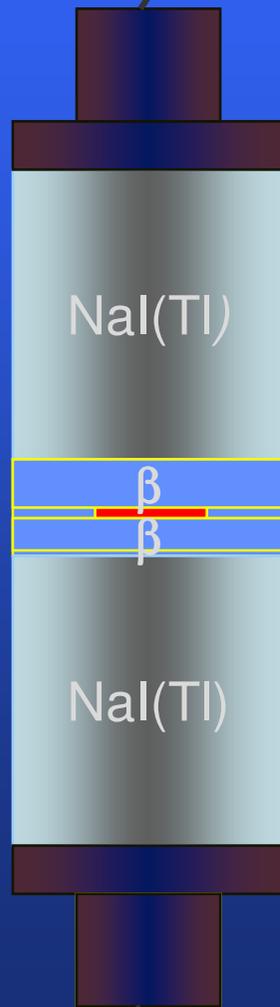
- $^{241}\text{Am}$  2003
- $^{238}\text{Pu}$  2001
- $^{60}\text{Co}$  2001 ( $^{204}\text{Tl}$ )

# The method – coincidence counting



$\beta$   
in coincidence with  
 $\gamma$

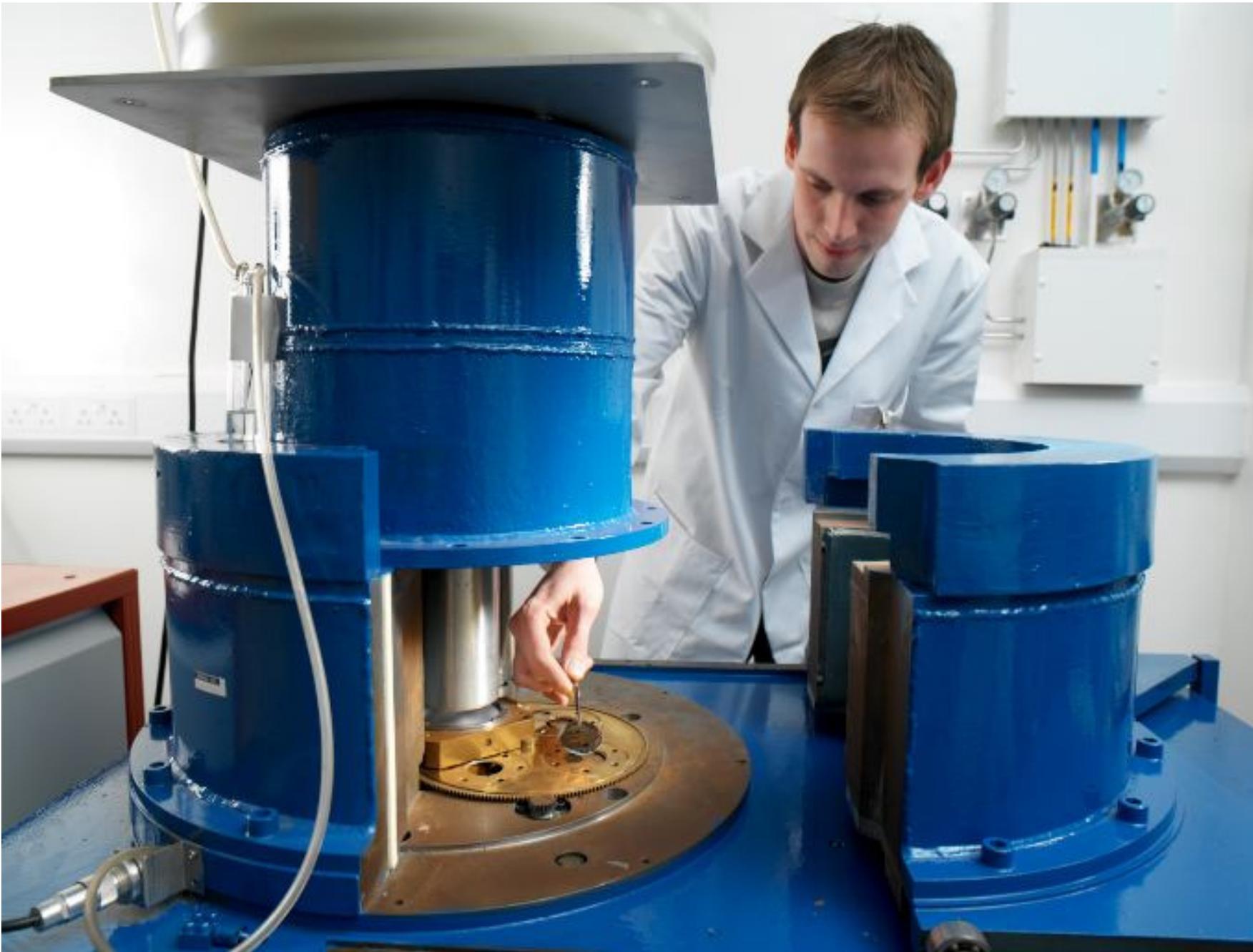
# Coincidence counting



$$\begin{cases} N_{\beta} = A \epsilon_{\beta} \\ N_{\gamma} = A \epsilon_{\gamma} \\ N_{c} = A \epsilon_{\beta} \epsilon_{\gamma} \end{cases}$$

$$\frac{N_{\beta} N_{\gamma}}{N_{c}} = A$$

Activity!



# $4\pi\beta\text{-}\gamma$ coincidence counting extended

$$N_{\beta} = N_o \sum a_i \left[ \epsilon_{\beta i} + (1 - \epsilon_{\beta i}) \frac{\alpha_i \epsilon_{\beta\gamma}}{1 + \alpha_i} \right]$$

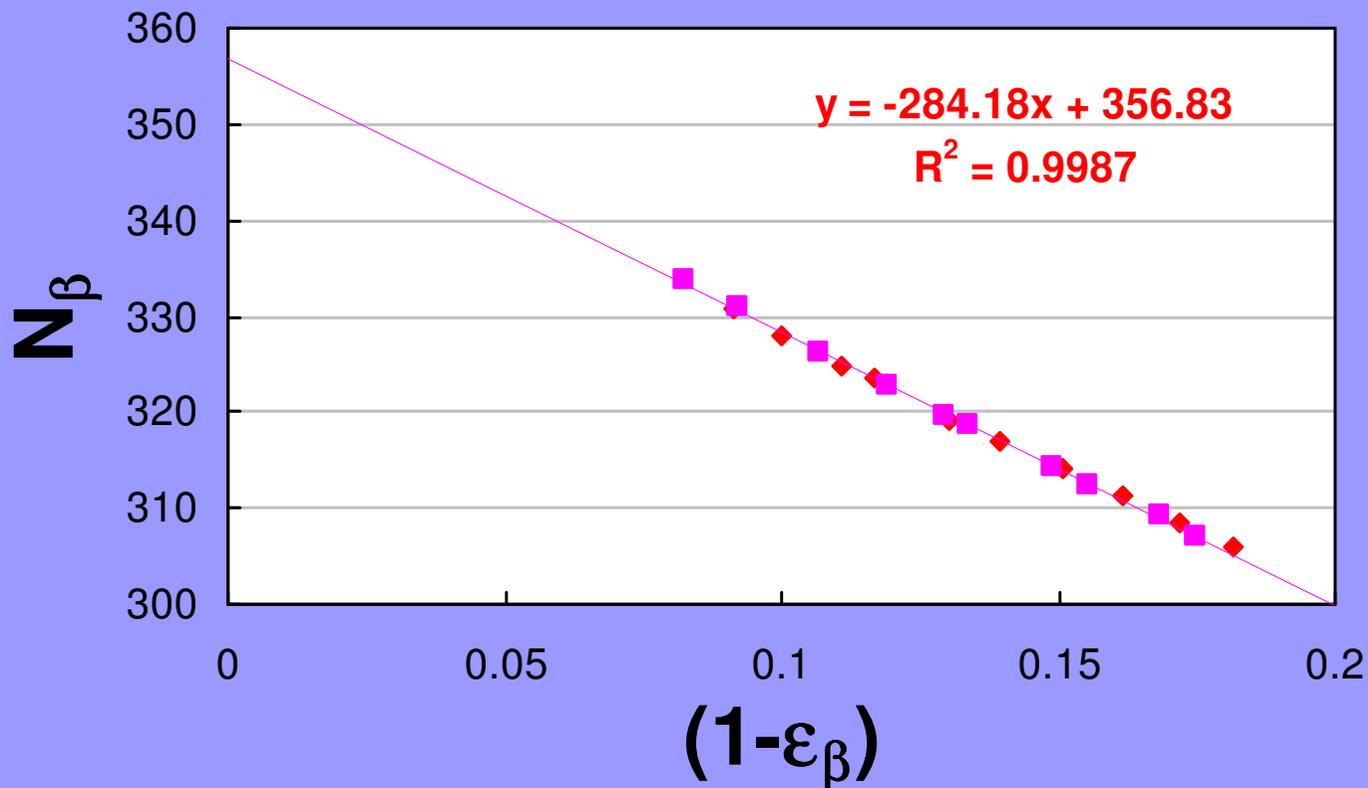
$$N_{\gamma} = N_o \sum a_i \frac{\epsilon_{\gamma i}}{1 + \alpha_i}$$

$$N_c = N_o \sum a_i \left[ \frac{\epsilon_{\beta i} \epsilon_{\gamma i}}{1 + \alpha_i} + (1 - \epsilon_{\beta}) \epsilon_{ci} \right]$$

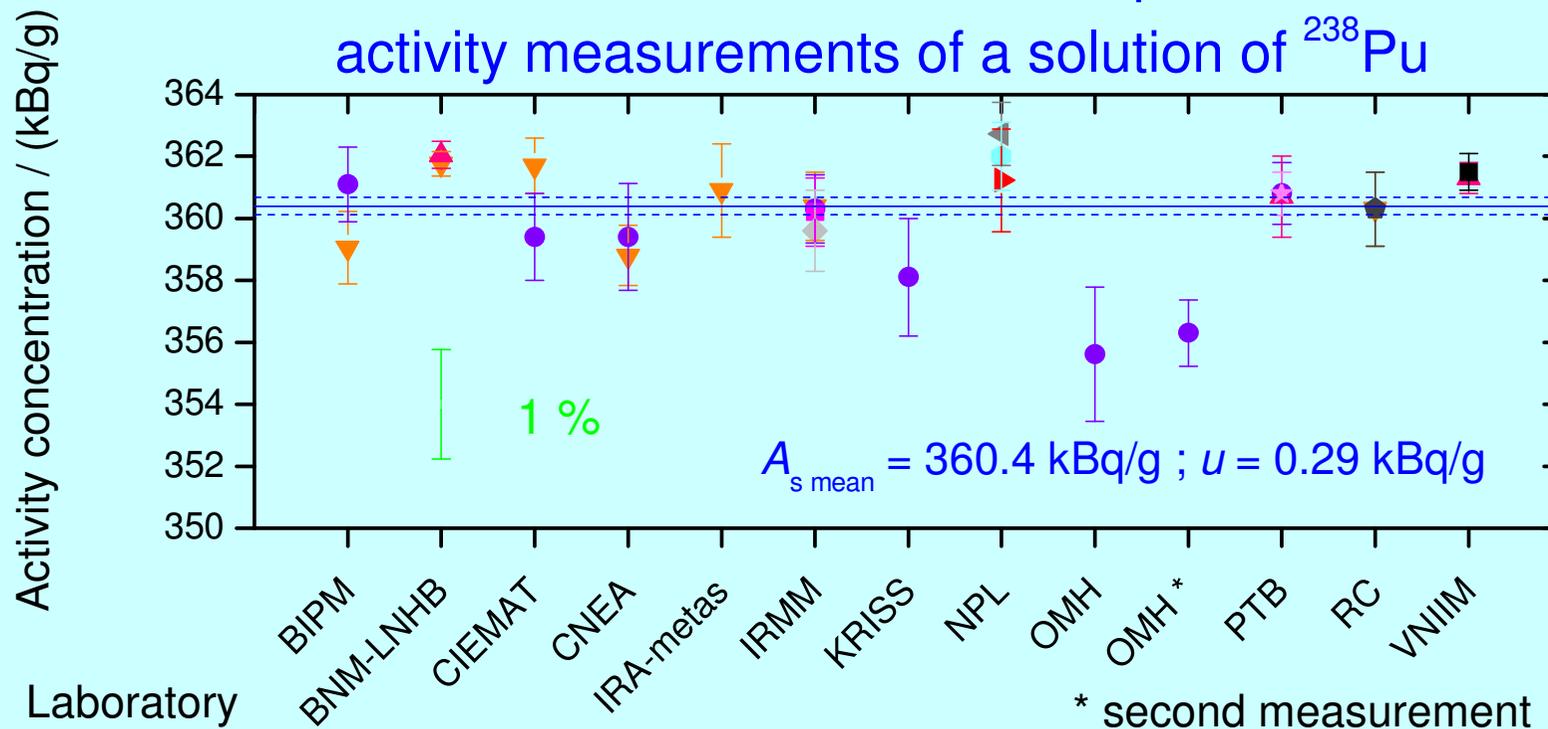
# Solution: Extrapolation

The  $\beta$ -efficiency is varied experimentally and the activity is determined by extrapolation to  $\epsilon_{\beta}=1$ .

Co-60



## Results of the international comparison of activity measurements of a solution of $^{238}\text{Pu}$



- ▼ Liquid scintillation
- ★ CIEMAT/NIST method
- ◆ TDCR method
- ▶ 4π(LS)α-γ efficiency tracing with  $^{241}\text{Am}$  as tracer
- 4π(PC)α-Lx coincidence
- ◆ 4π(PC)α-γ efficiency tracing with  $^{241}\text{Am}$  as tracer
- 4π(PC)α
- 4π(PC)α
- ◆ 4π(PPC)α-γ efficiency tracing with  $^{241}\text{Am}$  as tracer
- ▶ α counting with defined solid angle
- ◆ 4πCsI(TI) sandwich spectrometer



# Results of the international comparison of activity measurements of $^{241}\text{Am}$ January 2004

